

## **The Threshold Strong Dimension of Trees**

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Let  $G$  be a graph and  $W$  be a set of vertices of  $G$ . A vertex  $w$  in  $W$  is said to strongly resolve two vertices  $u$  and  $v$  in  $G$  if there is either a shortest  $u-w$  path that contains  $v$  or a shortest  $v-w$  path that contains  $u$ . The set  $W$  is called a strong resolving set if every pair of vertices in  $G$  is strongly resolved by a vertex of  $W$ . A smallest strong resolving set is called a strong basis and its cardinality, the strong dimension. The smallest strong dimension among all graphs having  $G$  as a spanning subgraph is called the threshold strong dimension of  $G$ . Benakli et al. have proved that the threshold strong dimension of trees, with strong dimension 3 or 4, is 2. In this talk, we will present some extensions of these results.

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