A singular perturbation approach to vector-borne epidemic models

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In vector-borne epidmic models there is often a substantial difference between the vector and host time scales. This makes it possible to use the quasi-steady-state to obtain final size relations.

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